

### Graphical solution using smith chart:

#### 1)a) Shunt S.C. stub:

- i) Allocate  $Z_L$ .
- ii) Rotate the  $Z_L$  point to find  $Y_L$  point. (through the constant  $\Gamma$ -circle).
- iii) Move from  $Y_L$  on the constant  $\Gamma$ -circle till hitting the ( $r=1$ ) circle at two points ( $Y_1, Y_2$ ) towards the generator.
- iv) Determine the value of  $d_1$  &  $d_2$  where  $d_i = d_{Y_i} - d_{Y_L}$  on the WTG scale.
- v) Determine the value of 'L' (stub length) by starting on the smith chart at  $y = \infty$  (SC) and moving along the outer edge of the chart to the "-by<sub>1</sub>" & "-by<sub>2</sub>" on the WTG scale. ( $L_i = L_{by_i} - 0.25\lambda$ ). (+ve)

#### 1)b) Shunt O.C. stub:

➤ From i to iv same as above

- V) Determine the value of 'L' (stub length) by starting on smith chart at  $y=0$  (OC) & moving along the outer edge of the chart to "-by<sub>1</sub>" & "-by<sub>2</sub>" on the WTG scale. ( $L_i = L_{by_i} - 0$ ).

### **2)a) Series S.C. stub:**

- i) Allocate  $Z_L$ .
- ii) Draw the constant  $\Gamma$ -circle.
- iii) Move from the  $Z_L$  point on the constant  $\Gamma$ -circle till hitting the ( $r=1$ ) at two points ( $Z_1, Z_2$ ) towards the generator.
- iv) Determine the value of  $d_1$  &  $d_2$  where  $d_i = d_{z_i} - d_{Z_L}$  on the WTG scale.
- v) Determine the value of 'L' (stub length) by starting on smith chart at ( $z=0$ ) (SC) & moving along the outer edge of the chart to the " $-X_{z1}$ " & " $-X_{z2}$ " on the WTG scale. ( $L_i = L_{xz_i} - 0$ ). (+ve).

### **2)b) Series O.C. stub:**

➤ From i to iv same as above.

- V) Determine the value of 'L' (stub length) by starting on the smith chart at  $Z = \infty$  (OC) and moving along the outer edge & the chart to the " $-X_{z1}$ " & " $-X_{z2}$ " on the WTG scale. ( $L_i = L_{xz_i} - 0.25\lambda$ ).

➤ **Notes:**

- 1) In shunt stub case, we consider smith chart as **admittance chart** so, the const.  $\Gamma$ -circle intersects the “1+jb” circle at two points.
- 2) In series stub case, we consider smith chart as **impedance chart** so, the const.  $\Gamma$  -circle intersects the “1+jx” circle at two points.
- 3) If the stub is made of section of “ $\frac{a}{c} Z_0$ ” TL (not “ $Z_0$ ” TL) where a & c are constants (a, c  $\neq 0$ ). Then assume that  $Z'_0 = \frac{a}{c} Z_0$  &  $Y'_0 = \frac{c}{a} Z_0$  and the values of required normalized stub impedances or admittances will **change**.
- 4) Series stubs are very difficult to manufacture using micro-strip lines.
- 5) As ‘d’ & ‘L’ of the stub are shorter this lead to better bandwidth. as the frequency variation of the match decreases.